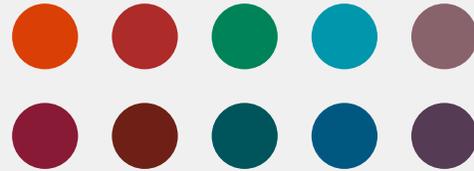


DIVERSITY PROJECT



# Concluding Remarks

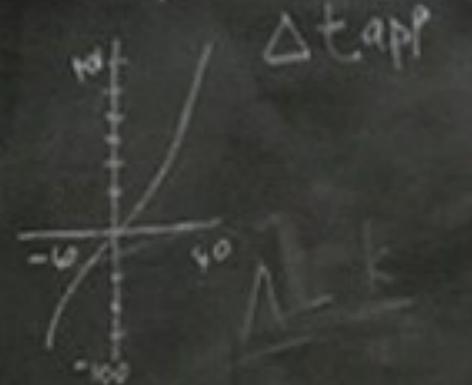
DAWID KONOTEY-AHULU

**#buildingmomentum**

$$\frac{d}{dt} d\Omega dF dz d^n p$$

$$= \rho_0 [z(z)] \left[ \frac{F}{f(z)} \cdot p \right] f(z)$$

$$\frac{\rho_2}{(1+z)^2 \sqrt{1+2q_0 z^2}}$$



$$H = \frac{1}{R}$$

BY SETTING T<sub>UV</sub>  
 ✓ EFE - phot. spect. (9)  $F = F_1$   
 THE SOLUTION IS:  $x = \frac{c}{g} (\cosh)$

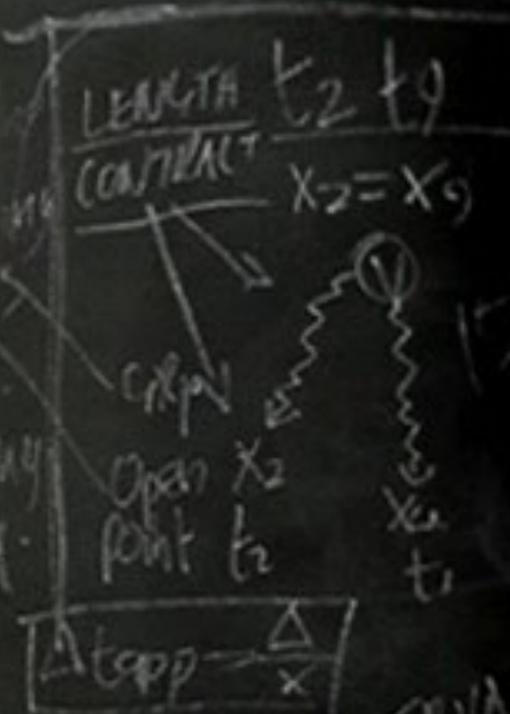
# What if?

$$\partial \rho + \vec{\nabla} \cdot \left( \rho + \frac{p \mathbf{e}_i}{c^2} \right) \leq 0$$

$$\frac{d(\rho)}{dt} = -\vec{\nabla} \cdot \mathbf{Q} \sim R^3$$

$\rho$  - MATTER DENSITY OF THE UNIVERSE

- Ricci flat
- R tensor PROPORTIONAL



$$\Delta t_{app} = \frac{\Delta t_{prop}}{\sqrt{1 - 2.5 \times 10^{-6}}}$$

INTERVAL APPEAR LONGER

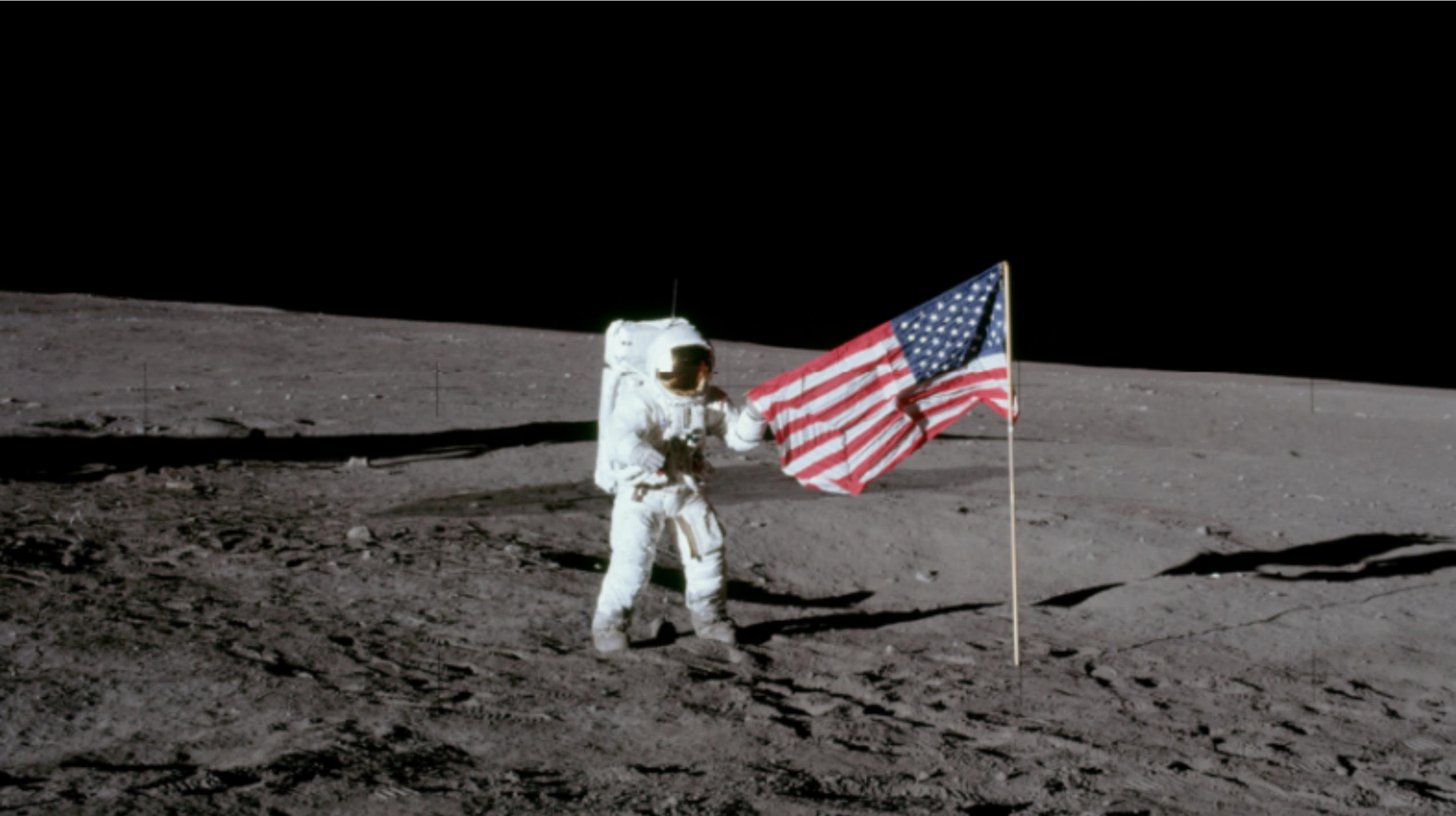
$\Lambda$  - COSMOLOGICAL CONSTANT

$$P_{ij} = R_{ij} - \frac{1}{2} g_{ij} R - \Lambda g_{ij}$$











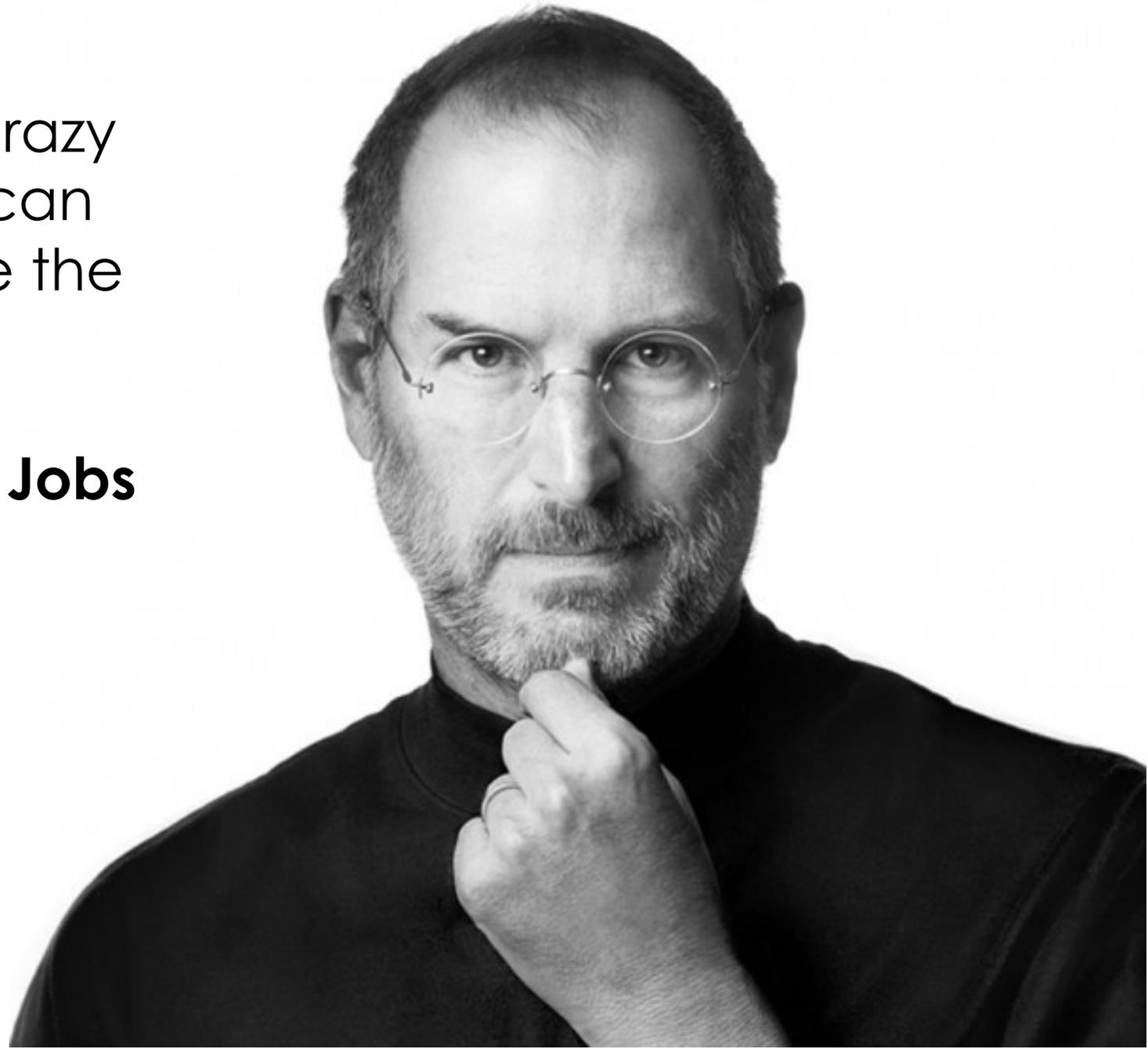






The people who are crazy enough to think they can change the world, are the ones who do.

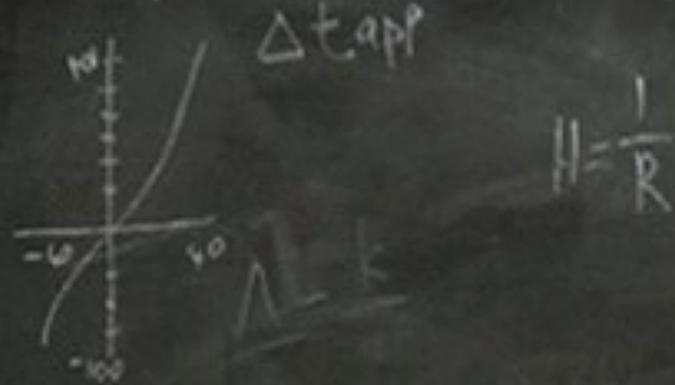
**Steve Jobs**



$$\frac{d}{dt} d\Omega dF dz d^n p$$

$$= 10[z(z)] \left[ \frac{F}{F(z)} \cdot P \right] f(z)$$

$$\frac{p^2}{(1+z)^2 \sqrt{1+2q_0^2}}$$



✓ EFE - photometry spectra (9)  $F^2 = F_1^2$   
 THE SOLUTION IS:  $x = \frac{c}{g} (\cosh)$

# What if?

$$\partial p + \vec{\nabla} r \cdot \left( p + \frac{p_{th}}{c^2} \right) \leq 0$$

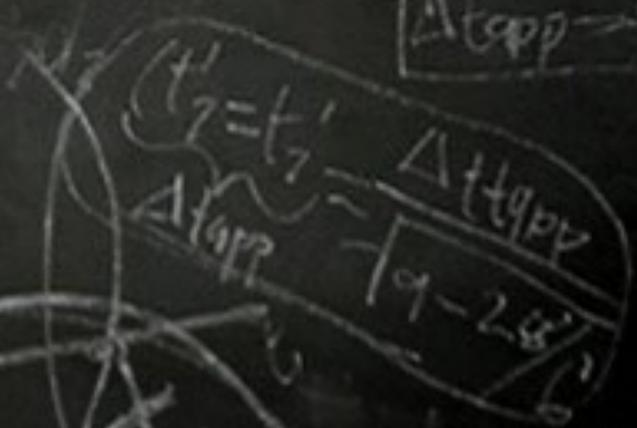
$$\frac{d(u)}{dt} = -\vec{\nabla} r \cdot \vec{v} \sim R^3$$

$\rho$  - MATTER DENSITY OF THE UNIVERSE

- Ricci flat
- R tensor PROPORTIONAL

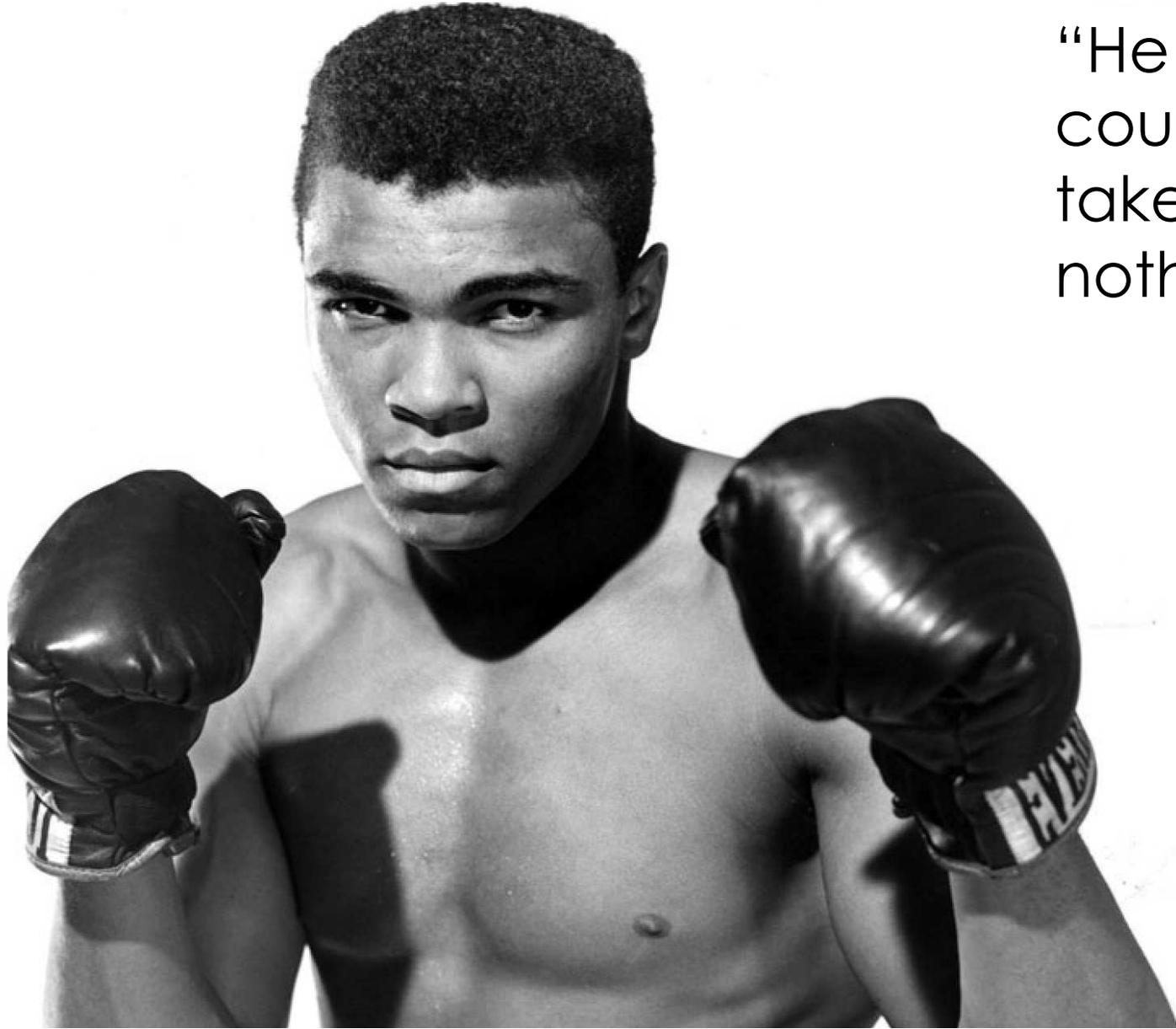
$\Lambda$  - COSMOLOGICAL CONSTANT

$$R_{\mu\nu} = \Lambda g_{\mu\nu} - x_{\mu\nu}$$



INTERVAL APPEAR LONGER





“He who is not  
courageous enough to  
take risks, will accomplish  
nothing in life.”

**Muhammad Ali**

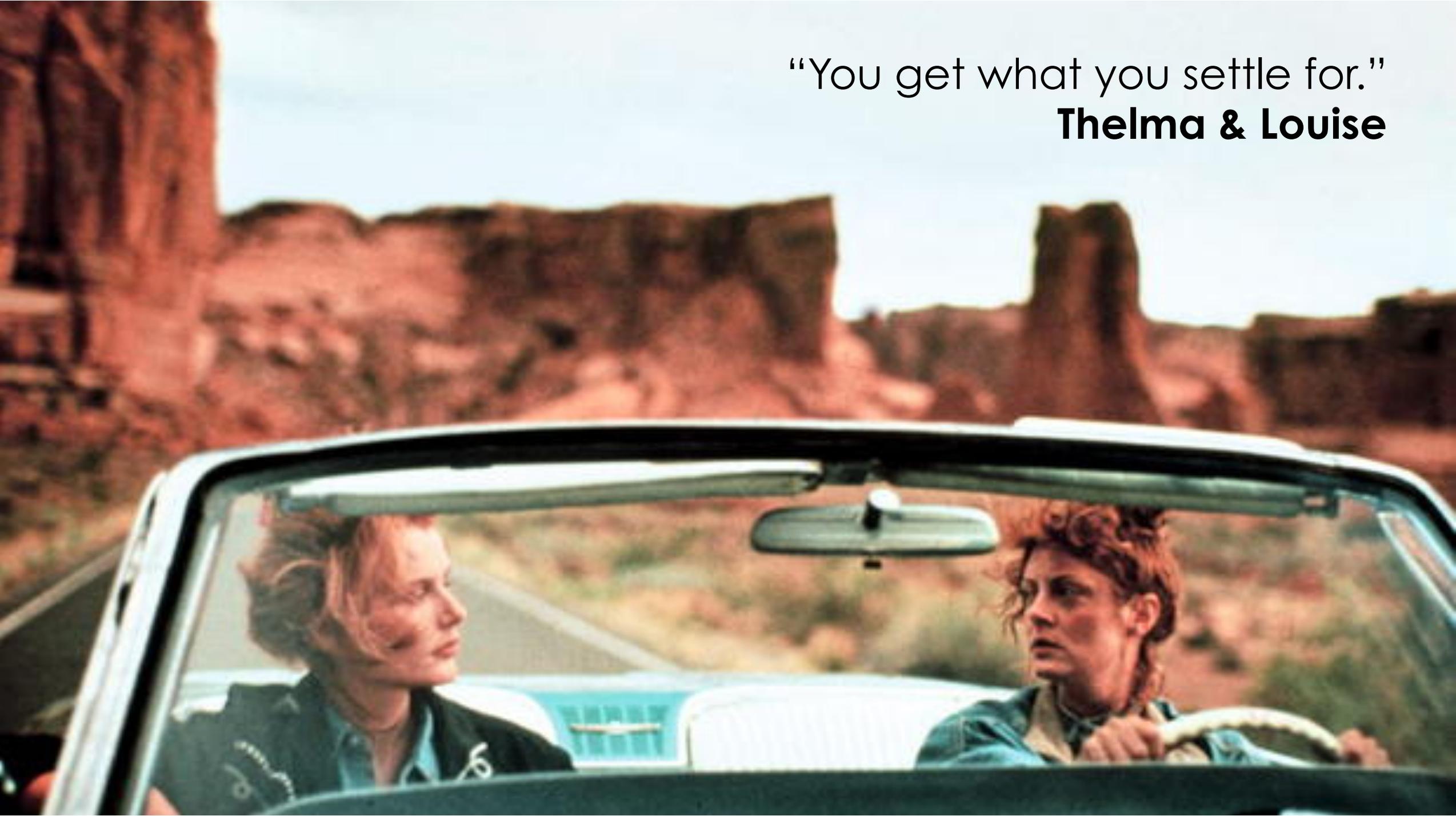
“I've missed more than 9,000 shots in my career. I've lost almost 300 games. 26 times, I've been trusted to take the game winning shot and missed. I've failed over and over and over again in my life. And that is why I succeed.”

**Michael Jordan**





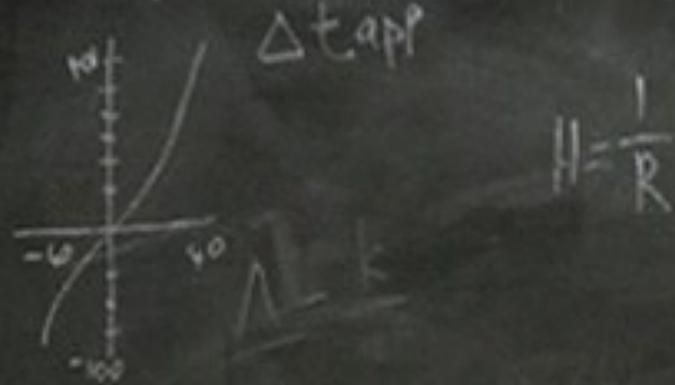
“You get what you settle for.”  
**Thelma & Louise**



$$\frac{dV}{dt} = \frac{d(\Omega F dz d^n p)}{dt}$$

$$= 10[z(z)] \left[ \frac{F}{F(z)} \cdot P \right] f(z)$$

$$\frac{p^2}{(1+z)^2 \sqrt{1+2q_0^2}}$$



✓ EFE - photometry spectra (9)  $F^2 = F_1^2$   
 THE SOLUTION IS:  $x = \frac{c}{g} (\cosh)$

# What if?

$$\partial p + \vec{\nabla} r \cdot \left( p + \frac{p_{th}}{c} \right) \leq 0$$

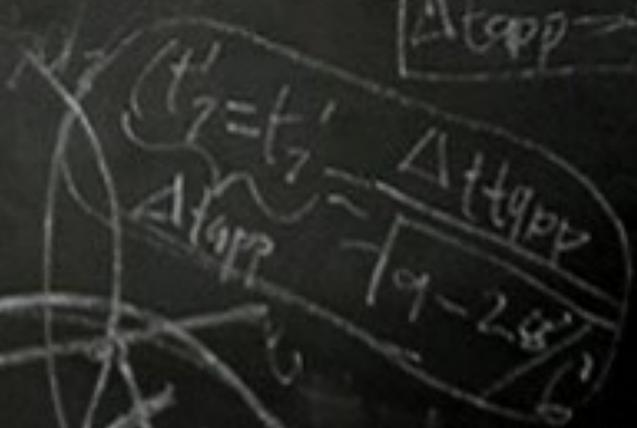
$$\frac{d(u)}{dt} = -\vec{\nabla} r \cdot \vec{v} \sim R^3$$

$\rho$  - MATTER DENSITY OF THE UNIVERSE

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$\Lambda$  - COSMOLOGICAL CONSTANT

$$R_{\mu\nu} = \Lambda g_{\mu\nu} - x_{\mu\nu}$$



INTERVAL APPEAR LONGER